EC 228 02, Fall 2009: Answers to Problem Set 2
Due September 29, 2009
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## Problem C.1.2

- (i) (2 pts.) You can see the number of women total as well as the number of women who smoked by using the command tabulate cigs. We can see there are 694 women (from total observations) in the sample. We can also see that 574 women reported smoking no cigarettes, so 120 women, or about 17 percent, smoke.
- (ii) (2 pts.) Use the command summarize cigs. We can see the average number of cigarettes smoked per day by women is 2.41 . This is not a good measure of the typical woman since $574 / 694$ or about 83 percent of women were in fact non-smokers.
- (iii) (2 pts.) Use the command summarize cigs if cigs $>\mathbf{0}$ which gives the average daily consumption for smokers of 13.95 cigarettes. Clearly this estimate is much higher than our estimate in part (ii) due to the fact that we are only looking now at the 120 women that actually smoke.
- (iv) (1 pt.) Use the command summarize fatheduc and we can see there are only 589 observations instead of 694 . There are missing values meaning some people did not answer the question about father's education level.
- (v) (1 pt.) Use the command summarize faminc and see that the mean family income is 29036 dollars with a standard deviation of 18534 dollars.


## Problem C.1.3

- (i) (1 pt.) Use the command summarize math4. Then you can see the highest value is 100 and the lowest value is zero. This means the best school had a pass rate of 100 percent and the worst school had a pass rate of zero. This makes intuitive sense.
- (ii) (2 pts.) Use the command tabulate math4 if math4==100. You will see that only 19 schools had perfect pass rates, or dividing by 729 (the total number of schools), then 2.6 percent of schools had perfect pass rates.
- (iii) (2 pts.) Use the command tabulate math4 if math4==50. So 6 schools have pass rates of exactly 50 percent.
- (iv) (2 pts.) Use the command summarize math4 read4. We can see that the pass rate for math is higher ( 72.89 percent relative to 60.81 percent) yet we can't be sure of the significance since the respective standard deviations are $19.76,19.16$ respectively, meaning the means lie within one standard deviation of each other.
- (v) (2 pts.) Use the command correlate math4 read4 and we see there is a positive correlation of 86.86 percent, meaning there is a strong positive relationship between schools which do well on the reading test and schools which do well on the math test.
- (vi) (2 pts.) Use the command summarize exppp to find that mean spending is 5168 dollars with a standard deviation of 1057 dollars. Dividing $1057 / 5168$ tells us that the standard deviation is about 20 percent of the mean. Therefore, since we know approximately 95 percent of schools spend within 2 deviations of the mean, we can compute an estimate that 95 percent of schools spend between [5168-2*1057,5168+2*1057] $=$ [3054, 7282] which doesn't seem like much variation.
- (vii) (1 pt.) A's spending exceeds B's by $(6000-5500) / 5500=9.09$ percent. We get a lower percentage when taking logs: $100 *[\log (6000)-$ $\log (5500)]=8.70$ percent .


## Problem C.1.4

- (i) (2 pts.) Use the command tabulate train to see that $185 / 445$ men receive job training.
- (ii) (2 pts.) Use the command bysort train: summarize re78 to see that average earnings from men not receiving job training is 4555 dollars and that average earnings for men who receive job training is 6349 dollars. This is a difference of $6349-4555 / 4555$ or 39.36 percent.
- (iii) (2 pts.) Use the command tabulate unem78 train, column. You can see that unemployment for those who did not receive job training is 35.38 percent while it is only 24.32 for those who received job training. This seems very economically significant.
- (iv) (2 pts.) We cannot tell the effectiveness of the job training program from these results only. Perhaps unobserved characteristics are at work; for example, only the more gifted workers were offered job training. Since we cannot observe these differences between workers, if we want to measure the effectiveness of the job training program we should look at differences in wages earned for the same worker before training and after training.


## Problem 2.4

- (i) (2 pts.) When cigs $=0$, predicted birth weight is 119.77 ounces. When cigs $=20$, .bwght $=109.49$. This is about an 8.6 percent drop.
- (ii) (2 pts.) Not necessarily. There are many other factors that can affect birth weight, particularly overall health of the mother and quality of prenatal care. These could be correlated with cigarette smoking during birth. Also, something such as caffeine consumption can affect birth weight, and might also be correlated with cigarette smoking.
- (iii) (4 pts.) If we want a predicted bwght of 125 , then cigs $=(119.77-$ $125) /(524) \approx-10.18$, or about negative 10 cigarettes! This is nonsense, of course, and it shows what happens when we are trying to predict something as complicated as birth weight with only a single explanatory variable.
- (iv) (2 pts.) Yes. Since about 80 percent of women did not smoke, but we only have one birthweight estimate when cigs $=0$ (since we are only using cigs to explain birth weight) then the predicted birthweight for cigs $=0$ is in the middle of the entire distribution of birth weights when cigs $=0$. If we believe that non-smokers have heavier babies than smokers, then we would under-predict high birth weights.

Problem 2.5

- (i) (4 pts.) The intercept implies that when income is 0 , consumption is predicted to be negative 124.84 dollars. This, of course, cannot be true, and is reflective of this consumption function being a poor predictor of consumption at very low income levels. On the other hand, relative to annual income, 124.84 dollars is not so far from zero.
- (ii) (2 pts.) Just plug 30,000 into the equation: $=124.84+.853(30,000)=$ 25, 465.16 dollars.
- (iii) (2 pts.) The MPC is a straight line at $\beta_{1}=.853$. While the APC has a negative intercept, for incomes of very low range, ie $i n c=1000$, the APC is greater than zero. As inc goes to infinity, APC approaches MPC from below.


## Problem 2.6

- (i) (2 pts.) The coefficient is . 312 meaning there is a positive relationship between housing prices and distance from a garbage incinerator. This is what we would expect. Increasing a house's distance from a garbage incinerator, holding everything else constant, should result in an increased home value.
- (ii) (2 pts.) If the city chose to locate the incinerator in an area away from more expensive neighborhoods, then $\log (d i s t)$ is positively correlated with housing quality. This would make OLS estimation biased.
- (iii) (2 pts.) Size of the house, number of bathrooms, size of the lot, age of the home, proximity to parks, and quality of the neighborhood (including school quality) are just a handful of factors that could influence price. As mentioned in part (ii), these could certainly be correlated with dist [and $\log (d i s t)$ ]. For example, it might be likely that a city planner would want to place the garbage incinerator away from the park and closer to a manufacturing area.


## Problem C.2.1

- (i) (2 pts.) Use the command summarize prate to find the mean participation rate is 86.88 percent. Use the command "summarize mrate" to find that companies, on average, match 75 cents per dollar of worker's contribution.
- (ii) (4 pts.) Use the command regress prate mrate. So prate $=$ $82.0138+6.482331 *$ mrate. Sample size is 767 , and $R^{2}$ is 0.0895 .
- (iii) (4 pts.) If mrate $=0$, the predicted participation rate is 82.0138 percent, meaning 82 percent of people would participate in a 401 k plan even if their company matched nothing. Coefficient in mrate implies that a one dollar increase in the match rate is estimated to increase participation by 6.482331 percentage points. This assumes, of course, that this change in prate is possible (ie prate cannot be more than 100 percent.)
- (iv) (2 pts.) If we plug 3.5 in the equation, we get prate $=82.0138+$ $3.5 * 6.482331=104.702$. This is impossible, as we can have at most a 100 percent participation rate. This illustrates that, especially when dependent variables are bounded (as in the case of percentages), a simple regression model can give strange predictions for extreme values of the independent variable. (In the sample of 765 firms, only 15 have mrate $>$ 3.5.)
- (v) (2 pts.) From our estimate of $R^{2}$, mrate explains 8.95 percent of the variation. This is not much, and many other factors may affect participation rate.


## Problem C.2.4

- (i) (2 pts.) Use the command summarize IQ wage. So the average salary is about 957.95 dollars and the average IQ is about 101.28. The sample standard deviation of IQ scores is 15.05 which is fairly close to the population standard deviation of 15 .
- (ii) (4 pts.) Use the command regress wage IQ. We get that $\widehat{\operatorname{wag} e}=$ $116.99+8.30 I Q, \mathrm{n}=935, R^{2}=0.096$. An increase in IQ by 15 points would raise predicted monthly salary by $8.30 * 15=124.50$. IQ only explains 9.6 percent of variation in wage which isn't very much.
- (iii) (4 pts.) Use the command regress lwage $\mathbf{I Q}$ where lwage is the $\log$ (wage). So log $\widehat{(\text { wage }})=5.89+0.0088 I Q, \mathrm{n}=935, R^{2}=99$. If $\triangle I Q=$ 15 then $\triangle \log \widehat{(\text { wage })}=0.0088(15)=0.132$, which is (approximate) proportinate change in predicted wage. The percentage increase is therefore approximately 13.2.

