

## Problem Set II

### Chapter 4 #4

a) In equilibrium,  $Y_t = Y_{t+1}$ , so we can ignore time subscripts:

$$Y = C + I + G = 100 + 0.5(Y - 100) + 200 + 0.25Y + 100 = 350 + 0.75Y = 1,400$$

b) This model has a particular dynamic pattern

	$\Delta C_t$	$\Delta I_t$	$\Delta Z_t$	$\Delta Y_t$
Period 2	0	0	100	0
Period 3	0	0	0	100
Period 4	50	25	75	0
Period 5	0	0	0	75

Output rises every other period.

c) The geometric series will be

$$100 + 75 + 56.25 + \dots = 100(1 + 0.75 + 0.75^2 + \dots) = 100(1/(1 - 0.75)) = 400$$

d) The multiplier (from part c) is 4. If investment were exogenous, we would have a multiplier of  $1/(1 - 0.5) = 2$ . Thus, making investment endogenous has made the multiplier larger.

### Chapter 4 #5

a) Marginal propensity to consume in model A is  $0.25 + 0.15 = 0.40$

Marginal propensity to consume in model B is  $0.20 + 0.15 + 0.05 = 0.40$

b) In both models, the multiplier is  $1/(1 - 0.40) = 1.66$

c) A policy maker would still need to know which of these models is the better description, since the period-to-period changes in GDP will be different under these two different lag structures. In particular, after a change in autonomous spending, GDP will reach its equilibrium more slowly in model B than in model A

### Chapter 5 #2

a) At 5 percent,  $M^d = \$50,000(0.5 - 0.05) = \$22,500$

At 10 percent,  $M^d = \$50,000(0.5 - 0.1) = \$20,000$

b)  $B^d = \$Wealth - M^d$  In this example wealth is \$25,000

At 5 percent,  $B^d = \$25,000 - \$22,500 = \$2,500$

At 10 percent,  $B^d = \$25,000 - \$20,000 = \$5,000$

- c)** A rise in the interest rate (from 5 percent to 10 percent in our example) causes the demand for money to decrease, and the demand for bonds to increase.

### Chapter 5 #3

Velocity is the ratio of nominal income to money. With money market equilibrium,  $M^d = M$ , so we can substitute for  $M$  the money demand equation from problem 2, to obtain:  $Velocity = \frac{Y}{[Y(0.5 - i)]} = \frac{1}{(0.5 - i)}$ . A rise in the interest rate from 5 percent to 10 percent causes the denominator to fall, which causes the whole fraction-velocity- to rise from 2.22 to 2.5

### Chapter 5 #5

- a)** With  $c=0$ , the money supply is  $(1/\theta)H = (1/0.2)\$100billion = \$500billion$
- d)**  $(\$500billion)(0.2 - 0.8i) = \$500billion \rightarrow i = 0.125$  or 12.5 percent
- e)** The money supply is now  $(1/\theta)H = (1/0.2)\$150billion = \$750billion$   
Equilibrium in money market now requires:  
 $(\$5,000billion)(0.2 - 0.8i) = \$750billion \rightarrow i = 0.0625$  or 6.25 percent
- f)** Equilibrium in the money market now requires:  
 $(\$6,250billion)(0.2 - 0.8i) = \$500billion \rightarrow i = 0.15$  or 15 percent